

Year 13 Mathematics Curriculum Pathway Map

| A2 PURE & STATISTICS (2 x 100-minutes per fortnight) | | | A2 PURE & MECHANICS (3 x 100-minutes per fortnight) | | |
|--|--|---|---|--|-------------------------------------|
| | TOPIC/PROGRAMME OF STUDY | Resources | | TOPIC/PROGRAMME OF STUDY | Resources |
| | P2-Ch1-Algebraic Methods-Lesson 1 Proof by contradictionThis topic builds on the earlier proof from Year 12, but with specific reference to proof by contradiction. They should know how to complete the proof for infinite primes, and show that √2 is irrational. Addition and subtraction of rational expressions Simplifying rational expressions. Factorising and cancelling. Multiplication and division. Homework | PM 2 Ex 1A PM2 Ex 1C PM2 Ex 1B Homework | | P2-Ch3-Sequences and Series-Lesson 1 (1) Arithmetic progressions. Deriving and using the nth term formula, Un = a + (n - 1)d Examples should include finding the number of terms of an AP, finding the first term and common difference, using the idea of a common difference to form and solve equations to find the sequence. (2) Sum of an AP. Sn = n/2 {2a + (n - 1)d} and Sn = n/2 {a + l} where l is the last term. Students to know how | PM2 Ex 3A PM2 Ex 3B |
| 01 | | | 01 | to prove the formulae, and use them in problems. | |
| | (1) Partial Fractions with distinct linear factors. (2) Partial Fractions with repeated factors. | PM2 Ex 1D PM2 Ex 1E | | (1) Geometric progressions, nth term Un = arⁿ⁻¹ Examples should include finding the first term and common ratio, and the number of terms of a GP using logs if necessary. Using the idea of a common ratio to form and solve equations to find the sequence. (2) Sum of a GP for r > 1 and r < 1. Problems on GPs should include finding the number of terms needed for the sum to equal or exceed a value, and investment with a fixed amount being invested at the start of each year. | PM2 Ex 3C PM2 Ex 3D |
| 02 | | | 02 | (3) Sum of an infinite GP, and mixed problems. | PM3 Ex 3E |
| | P2-Ch1-Algebraic Methods-Lesson 3 (1) Algebraic division (2) Partial fractions requiring algebraic division, or method of equating coefficients. | PM2 Ex 1F PM2 Ex 1G Mixed Ex 1 | | P2-Ch3-Sequences and Series-Lesson 3 (1) Use of the Σ notation. Problems on APs and GP's should include using the formulae found in previous lessons. (2) Recurrence relation formulae. Generating terms and generating formulae from sequences, or nth term formulae. Increasing, decreasing or periodic sequences. Use of the Σ notation. Problems on APs and GP's should be the D to the | PM3 Ex 3E PM3 Ex 3F PM3 Ex 3G |

| | P2-Ch4-Binomial Expansion-Lesson 1 | | | P2-Ch2-Functions and Graphs-Lesson 1 | |
|----|---|----------------------------------|----|---|-------------|
| | (1) Expansion for fractional and negative indices in the form $(1 + ax)^n$. Range for validity. | PM2 Ex 4A PM2 Ex 4B Q1h | | (1) Types of relationship. Definition of M-1 and 1-1 functions. Notation. Domain, codomain and range. Graphical interpretation. Examples. Restricting the domain. Stating | PM3 Ex 2B |
| 04 | (2) Cover problems involving two binomial expansions and approximations | | 04 | the range. | |
| | P2-Ch4-Binomial Expansion-Lesson 2 | | | P2-Ch2-Functions and Granhs-Lesson 2 | |
| | (1) Further Range for validity. Problems including approximations. | PM2 Ex 4B remaining questions | | (1) Composition of functions. | PM3 Ex 2C |
| | (2) Expansion of expressions using partial fractions | PM2 Ex 4C | | (2) Definition of inverse for 1-1 functions. Graphical interpretation and examples. | PM3 Ex 2D |
| 05 | (1 of 2) S02 Binomial Expansion Formative Assignment / Solutions | | 04 | | |
| | P2-Ch5-Radians-Lesson 1 | | | P2-Ch2-Functions and Graphs-Lesson 3 | |
| | (1) Definition of radian. Converting degrees to radians and radians to degrees. Trig functions of special angles in radians. Sketching trigonometric functions in radians including transformations. | PM2 Ex 5A PM2 Ex 5B | | Definition of x . Linear modulus functions and their graphs. Solving simple modular equations and inequalities with the aid of sketches. | PM3 Ex 2A |
| 06 | J | | 05 | (2) Sketching graphs for functions of the type y= f(x) and y=f x . | PM3 Ex 2E |
| 00 | (2 of 2) AOE S02 Binomial Expansion Formative Assignment | | 05 | P2-Ch2-Functions and Granhs-Lesson 4 | |
| | / Solutions | PM2 Fx 5C | | (1) Compound Transformations. | PM3 Fx 2F |
| | P2-Ch5-Radians-Lesson 2 | | | f(x+a), f(x)+a, f(-x), -f(x), f(ax), afx | |
| | (1) Length of an arc using radians | PM2 Ex 5D | | | |
| | | | | (2) Solving problems involving modulus functions. Using | PM3 Ex 2G |
| | (2) Area of a sector and segment using radians | | | methods learnt in previous lessons to sketch more | |
| | | | | difficult equations such as f(x)=3 x-1 -2. Stating ranges of | |
| | | | | values for which an equation has zero, one or two | |
| | | | | solutions, etc. | |
| | | | | (1 of 2) M02 Functions and Graphs Formative Assignment / | |
| 07 | | | 06 | Solutions | |
| | P2-Ch5-Radians-Lesson 3 | | | M2-Ch5-Dynamics, Friction and Inclined Planes-Lesson 1 | |
| | (1) Solving Ingonometric equations involving radians. | PIVIZ EX SE | | (1) Adding forces using the thangle law of addition for two forces Resolving forces borizontally and vertically | SIVIZ EX SA |
| | degrees in Vear 12, eg Eg $3\sin(2r) = 0.6$ and | | | Torces Resolving forces nonzontally and vertically | |
| | these requiring target $= \frac{\sin x}{2}$ and $\sin^2 x + \cos^2 x = 1$ | | | (2) Resolving forces parallel and perpendicular to an inclined | SM2 Fx 5A |
| | those requiring $tanx = \frac{1}{cosx}$ and $sin^2 x + cos^2 x \equiv 1$ | | | plane | |
| | (1 of 2) S03 Radians Formative Assignment / Solutions | | | | |
| | | | | | |
| | | | | | |
| 08 | | | 07 | | |

| | S2-Ch1-Regression Correlation & Hypothesis Testing-Lesson | | | M2-Ch5-Dynamics Friction and Inclined Planes-Lesson 2 | |
|----|--|-------------|----|---|----------------------|
| | 1 | | | (1) Friction and the coefficient of friction plane | |
| | (1) Evenenetial relationships and the use of coding to | SIVIZ EX IA | | | SIVIZ EX JD |
| | (1) Exponential relationships, and the use of coding to | | | (2) Eurther practice | |
| | rolationship to undertake estimations of the existent | | | (3) Further practice | SIVIZ EX SC |
| | relationship to undertake estimations of the original | | | | |
| | variables. | SM2 EX 1B | | (1 of 2) M03 Dynamics, Friction and Inclined Planes Formative | |
| | | | | Assignment / Solutions | |
| | (2) Students must be able to calculate and interpret a | | | | |
| | product moment correlation coefficient. They are | | | | |
| | expected to use the statistical function on their | | | | |
| | calculator to do this and are not required to know | | | | |
| | the formula. Students should also understand how | | | | |
| | calculating the PMCC could help them interpret | | | | |
| | whether an exponential model would be a good fit | | | | |
| 09 | for the data. | | 08 | | |
| | (2 of 2) AOF S03 Radians Formative Assignment / Solutions | | | (2 of 2) AOF M02 Functions and Graphs Formative Assignment / | |
| | S2-Ch1-Regression, Correlation & Hypothesis Testing-Lesson | SM2 Ex 1C | | Solutions | SM2 Ex 6A |
| | 2 | | | M2-Ch6-Projectiles-Lesson 1 | Heinemann M2 Ex |
| | (1) Students should be able to undertake a hypothesis | | | (1) The constant acceleration formulae for a projectile in a | 1A Q1-6, 9-12, 15-18 |
| | test on the validity of the correlation. They will need | | | vertical plane HORIZONTAL MOTION | |
| | to use the tables provided in the text book (or | | | | SM2 Ex 6B |
| | formula booklet in the exam). | | | | Pearson P112 Ex 6B |
| | · · · · · · · · · · , | | | (2) The constant acceleration formulae for a projectile in a | 01. 3. 5. 7 |
| | (2) Mixed Exercise to practise skills particularly involving | | | vertical plane GENERAL MOTION | Heinemann M2 |
| | the use of coding to lines and the use of the PMCC | | | | Fx 14 07 8 13 14 |
| | to then help establish the strength of correlation in | | | | LK 1K Q/, 0, 10, 14 |
| | non-linear data | | | | |
| | (1 of 2) SO5 Regression, Correlation and Hypothesis Testing | | | | |
| 10 | Formative Assignment / Solutions | | 09 | | |
| | P2-Ch6-Trigonometric Functions-Lesson 1 | | | M2-Ch6-Projectiles-Lesson 2 | |
| | (1) Definition of sec x, cosec x, cot x and their graphs | PM2 Ex 6A | | (1) Projection at any angle, range, flight time, angles of | Pearson P112 Ex 6B |
| | including transformations. | PM2 Ex 6B | | projection to reach a point | Heinemann M2 |
| | 5 | | | | Ex 1B |
| | | | | | |
| | | | | Release at an angle from a given height; | |
| | | | | | SM2 Ex 6B |
| 11 | | | 10 | | |
| | | | | (2 of 2) AUF M03 Dynamics, Friction and Inclined Planes | |
| | | | | Formative Assignment / Solutions | SIVIZ EX 6C |
| | | | | IVIZ-LIND-PROJECTILES-LESSON 3 | |
| | | | | (1) Projected particles from above the ground | |
| | | | 11 | (2) Projectile Formulae | |
| | | | 11 | | |

| | | | | M2-Ch6-Projectiles-Lesson 4 | |
|----|---|-----------------------|------------|--|-----------|
| | | | | (1) Clearing an obstacle | SM2 Ex 6D |
| | | | | | |
| | | | 12 | (1 of 2) M04 Projectiles Formative Assignment / Solutions | |
| | | | | P2-Ch9-Differentiation-Lesson 1 | |
| | | | | (1) Small angle approximations. Powerpoint available in | PM2 Ex 5F |
| | | | | schemes of work folder to aid in definitions (although | |
| | | | | double angles not completed at this time), or use the | |
| | | | | challenge section on p135 of PM2 textbook. Using small | |
| | | | | angle approximations to find new approxmations. Using | |
| | | | | the idea of a common ratio to form and solve equations | |
| | | | | to find the sequence. | PM2 Ex 9A |
| | | | | (2) Differentiation of sine and cosine functions from first | |
| | | | | principles. Students must be clear on the process (this | |
| | | | | may be tested in the exam). Link to the small angle | |
| | | | | approximations covered in the last lesson. | |
| | | | | Use standard results for the derivative of y=sin(kx) and | |
| | | | 13 | y=cos(kx) | |
| | Year 13 | 3 Mock 1 Summative A | Assessmer | it Paper 1: Pure (DATE TBD) | |
| | Year 13 Mock 1 | Summative Assessme | nt Paper 2 | 2: Statistics & Mechanics (DATE TBD) | |
| | (2 of 2) AOF S05 Regression, Correlation and Hypothesis | | | P2-Ch9-Differentiation-Lesson 2 | |
| | Testing Formative Assignment / Solutions | PM2 Ex 6C | | (1) Differentiation of any exponentials and natural | PM2 Ex 9B |
| | P2-Ch6-Trigonometric Functions-Lesson 2 | | | logarithms. Students to be able to prove the standard | |
| | (1) Simplifying expressions, solving basic equations and | | | derivative of $y = a^x$ | |
| | proving new identities using reciprocal functions. | PM2 Ex 6D | | | PM2 Ex 9C |
| | | | | (2) Chain rule. Students to be able to differentiate functions | |
| | (2) Pythagorean identities. Students must be able to | | | of the type (ax+b)n. Equations of tangents and normals. | |
| | prove these, and use them to form new identities | | | | |
| | and solve equations. | | | | |
| | | PM2 Ex 6E (Set as | | | |
| | (3) Definition of inverse trig functions. | Student Support Task) | | | |
| | Principal values and their graphs. Not really in the A | | | | |
| | Level, if they get arcsin()= they will convert to | | | | |
| | sin()= | | | | |
| | (1 of 2) S04 Trigonometric Functions Formative Assignment | | | | |
| 12 | / Solutions | | 14 | | |
| | P2-Ch7-Further Trigonometry and Modelling-Lesson 1 | | | (2 of 2) AOF M04 Projectiles Formative Assignment / Solutions | |
| | (1) Introduction to addition formulae. Students need to | PM2 Ex 7A | | P2-Ch9-Differentiation-Lesson 3 | PM2 Ex 9D |
| | understand how to use a geometrical approach to | | | (1) Product rule. Students to be able to differentiate | |
| | proving the formulae. They must also become | | | functions including polynomials, exponentials, natural | |
| | familiar with the formulae during this lesson to aid in | | | logarithms and trigonometry using the product rule. | |
| 13 | the next lesson. | | 15 | Equations of tangents and normal, max and min etc. | |

| | (2 of 2) AOE 504 Trigonometric Eurotions Formative | | | D2 Ch0 Differentiation Lasson 4 | |
|---|--|------------------------------|---|---|------------------------|
| | Assignment / Solutions P2-Ch7-Further Trigonometry and Modelling-Lesson 2 (1) Further use of addition formulae. This does not necessarily include solving equations and proving | PM2 Ex 7B | | (1) Quotient rule. Students to be able to differentiate functions including polynomials, exponentials, natural logarithms and trigonometry using the product rule. Equations of tangents and normal, max and min etc. | PM2 Ex 9E |
| | new identities at this stage, but students must begin to work more fluently with the formulae, find exact values for trig ratios such as sin 75, and find the likes of cos(A-B) if the ratios for sinA and cos B are known. This will include Non-Calculator Exact Angle Questions. | PM2 Ex 7C | | (2) Further differentiation of trigonometric functions. Use of quotient rule for tan x and chain rule for reciprocal functions. Mixed problems involving all 3 techniques from previous lessons. | PM2 Ex 9F |
| 4 | (2) Double angle formulae. Students to be familiar with how to derive these from the addition formula, and to work with to become fluent. Proofs of new identities and solving of equations are covered in further lessons. | 16 | 6 | | |
| | P2-Ch7-Further Trigonometry and Modelling-Lesson 3 | | - | M2-Ch4-Moments (Part 1)-Lesson 1 | |
| | (1) Solving trigonometric equations using addition and double angle formulae. | PM2 Ex 7D | | (1) Definition and concept for the moment of a force Sum of Moments (Parallel forces acting on a body) | SM2 Ex 4A SM2 Ex 4B |
| | (2) Use of the formulae Rcos(θ±α) and Rsin(θ±α) to rewrite expressions of the form acosx ± bsinx. (1 of 2) S06 Further Trigonometry and Modelling Formative | PM2 Ex 7E | | | |
| 5 | Assignment / Solutions | 1- | 7 | | |
| 5 | P2-Ch8-Parametric Equations-Lesson 1 | | , | M2-Ch4-Moments (Part 1)-Lesson 2 | |
| | (1) Drawing curves from parametric equations. Sketching simple curves from the parametric | PM2 Ex 8C Q1-4c PM2 Ex 8A | | (1) Equilibrium of parallel forces acting on a rigid uniform body | SM2 Ex 4C |
| | equations Conversion to Cartesian equations (not with | | | (2) Equilibrium of parallel forces acting on a non- uniform | SM2 Ex 4D |
| | trigonometric ratios). Sketch the curves from the Cartesian equation. Ensure your examples cover finding the range of the equation | | | rigid body | |
| | intening the range of the equation. | PM2 Ex 8B | | | |
| | (2) Parametric equations involving trigonometric ratios. Explain why it is better to use the identities they have learnt rather than rearranging to t. Link to equations of circles and ellipses, etc. | | | | |
| 6 | | 18 | 8 | | |

| 17 | (2 of 2) AOF S06 Further Trigonometry and Modelling Formative Assignment / Solutions P2-Ch8-Parametric Equations-Lesson 2 (1) Points of intersection with the coordinate axes, and intersection of a curve with a line/curve in cartesian form. (2) Modelling with parametric equations. Links to projectiles in mechanics. Further practice of examination style questions with links to problem solving. (1 of 2) S07 Parametric Equations Formative Assignment / Solutions | PM2 Ex 8D PM2 Ex 8E | 19 | M2-Ch4-Moments (Part 1)-Lesson 3 Tilting Problems | SM2 Ex 4E |
|----|---|---|----|---|-----------|
| | | | 20 | P2-Ch9-Differentiation-Lesson 5 (1) Parametric Differentiation; Equations of tangents and normal. Find the coordinates of stationary points but the identification of the nature of the stationary points is not needed. (1) | PM2 Ex 9G |
| | | | 21 | P2-Ch9-Differentiation-Lesson 6 (1) Implicit differentiation including the use of the product rule. Equations of tangents and normal. Find the coordinates of stationary points but the identification of the nature of the stationary points is not needed. | PM2 Ex 9H |
| | | | 22 | P2-Ch9-Differentiation-Lesson 7 (1) Using second derivatives to establish whether the curve is convex or concave and to identify points of inflection. | PM2 Ex 91 |
| | S2-Ch2-Conditional Probability-Lesson 1 (1) Students to understand basic set notation and its use within probability and Venn diagrams (2) Students to use the notation and formula, when appropriate, for conditional probability. Link this to | SM2 Ex 2A SM2 Ex 2C (Venn Diagrams) | | M2-Ch8-Further Kinematics-Lesson 1 (1) Solving problems involving objects moving with constant velocity Solving problems involving objects moving with constant acceleration | SM2 Ex 8A |
| 18 | the test for independence. | | 23 | (2) Vector methods with projectiles | SM2 Ex 8B |

| | (2 of 2) AOF S07 Parametric Equations Formative | | | M2-Ch8-Further Kinematics-Lesson 2 | |
|----|---|-----------|----|--|-------------|
| | Assignment / Solutions | SM2 Ex 2D | | (1) Variable acceleration in one dimension. The only | SM2 Fx 8C |
| | S2-Ch2-Conditional Probability-Lesson 2 | | | difference between this and last year's topic is that | SIVIZ EX OC |
| | (1) Students to be familiar with the addition and | | | students have now been taught some further calculus, so | |
| | multiplication formulae and their use within | SM2 Ex 2E | | it is worth revisiting this topic with these more advanced | |
| | probability problems | | | questions. | |
| | | | | 1 | SM2 EV 8D |
| | (2) Tree Diagrams without replacement (students could | | | (2) Variable acceleration in two dimensions (differentiation | SIVIZ LA OD |
| | undertake this as a homework exercise) | | | problems) | |
| | Further practice on questions to allow students to | | | [· · · · ·] | |
| | determine for themselves the correct choice on | | | | |
| | approach, eg tree diagram or venn diagram for | | | | |
| | instance? | | | | |
| | (1 of 2) S08 Conditional Probability Formative | | | | |
| 19 | Assignment / Solutions | | 24 | | |
| | S2-Ch3-Normal Distribution-Lesson 1 | | | M2-Ch8-Further Kinematics-Lesson 3 | |
| | (1) Introduction to Normal Distribution / Shape / 68%, | SM2 Ex 3A | | (1) Variable acceleration in two dimensions(integration | SM2 Ex 8E |
| | 95% & 99.7% rules. | | | problems) | |
| | | | | | |
| | (2) Using the calculator obtain the Normal Distribution | SM2 Ex 3B | | | |
| | Values. The old S1 Normal Distribution tables may | | | | |
| 20 | support this. | | | | |
| | (2 of 2) AOF S08 Conditional Probability Formative | | | P2-Ch11-Integration (Part 1)-Lesson 1 | |
| | Assignment / Solutions | SM2 Ex 3C | | Integration as a reverse process of the standard | |
| | S2-Ch3-Normal Distribution-Lesson 2 | | | derivatives learnt in the course so far. Introducing the | PM2 Ex 11A |
| | (1) Inverse Normal Distribution | SM2 Ex 3D | | idea of standard integrals. | |
| | | | | | |
| | (2) Using the standard normal distribution. | | | (2) Integrals of the form f(ax+b) including the use of natural | |
| 21 | | | 25 | logarithms, i.e $\int (ax + b)dx = \frac{1}{a}\int (ax + b) + c$ | PM2 Ex 11B |
| | S2-Ch3-Normal Distribution-Lesson 3 | | | P2-Ch11-Integration (Part 1)-Lesson 2 | |
| | (1) Problems finding μ , or σ , or both | SM2 Ex 3E | | (1) Using trigonometric identities to integrate expressions | PM2 Ex 11C |
| | | | | (pythagorean, compound and double angles) | |
| | (2) Approximating a Binomial Distribution | SM2 Ex 3F | | | |
| | | | | (2) Reverse chain rule method. Harder examples than those | PM2 Ex 11D |
| | | | | covered in integration from inspection method, including | |
| | | | | general cases. | |
| | | | | Include $\int \frac{kf'(x)}{dx} dx$ and $\int kf'(x) [f(x)]^2 dx$ | |
| | | | | Note that OG of Ev. 11D general f to use f | |
| | | | | Note that Q6 of EX 11D covers J tanxax and | |
| | | | | j cotxax but this needs to be covered and highlighted as | |
| 22 | | | | key in the students notes. | |
| 22 | | | 26 | | |

| | 52 Ch2 Normal Distribution Losson 4 | | P2 (h11 Integration (Part 1) Losson 2 | |
|----|---|------------------------------|---|--------------|
| | (1) Hypothesis Test of the sample mean using the | SM2 Ex 2C | (1) Using partial fractions to integrate expressions | DM2 Ev 11C |
| | (1) Hypothesis rest of the sample mean using the | SIVIZ EX SG | (1) Using partial fractions to integrate expressions. | FIVIZ LX 110 |
| | Normal Distribution. | | | |
| 23 | (2) Normal Distribution & Conditional Probability | 27 | | |
| | | | P2-Ch11-Integration (Part 2)-Lesson 1 | |
| | | | (1) Integration by substitution. Definite and indefinite | PM2 Ex 11E |
| | | | integration but simple cases (leave trigonometric and u2 | |
| | | | substitutions until first half of lesson 2 below). Students | |
| | | | might be given a substitution in the exam, but if the | |
| | | | substitution is a simple choice, they may need to choose | |
| | | | that themselves. | PM2 Ex 11E |
| | | | | |
| | | | (2) Integration by substitution using trigonometric and u^2 | |
| | | 28 | substitutions | |
| | | | P2-Ch11-Integration (Part 2)-Lesson 2 | |
| | | | (1) Introduce integration by parts, derivation of formula and | PM2 Ex 11F |
| | | | simple cases initially | |
| | | | (2) Further integration by parts, using parts twice and | PM2 Ex 11F |
| | | | definite integration. Ensure that students are aware of | |
| | | | the common error on definite integrals, ie leaving the | |
| | | | answer in terms of a function because they have not | |
| | | | found the "value" of uv. | |
| | | 29 | | |
| | Year 1: Voor 12 Mook 2 | 3 Mock 2 Summative Assessmen | 11 Paper 1: Pure (DATE TBD) | |
| | Tedi 15 Wolk 2 | | D2 Ch11 Integration (Dart 2) Lesson 2 | |
| | P2-CI12-5D Vectors-Lesson 1 (1) Kowskills in 2D wasters is finding $(AD)^{\frac{1}{2}}$ finding the | | (1) Tranezium Rule | DM2 Ev 111 |
| | (1) Key skills in 5D vectors, le finding (AB), finding the | | | |
| | a direction narallel vectors. All of these are skills | | (2) Finding the area between two curves, using the | |
| | learnt in year 12 but extended into 3D vectors | | techniques of integration learnt in previous lessons. This | |
| | The "new" key skill to be learnt in this lesson | | is an opportunity for students to recognise which method | |
| | involves finding the angle between a vector and a | | of integration to choose, try to give them as much time to | |
| | coordinate axis. | | work on questions as possible. | |
| | | | | |
| 24 | | 30 | | |
| | P2-Ch12-3D Vectors-Lesson 2 | | P2-Ch11-Integration (Part 2)-Lesson 4 | |
| | (1) Solving geometric problems with vectors. (Note, | | (1) Finding the area under a curve using parametric | PM2 TBD |
| | leave examples 11 and 12 from the Pearson | | equations (note this was a late addition to the textbook) | |
| 25 | textbook on equal vectors until lesson 3 below) | | | |
| 25 | | 31 | | |

| | (2) Further geometric problems with vectors. Cover | | | | |
|----|---|-----------------------------------|----|--|---------------------|
| | questions like those of example 11 and 12 from the | | | | |
| | PM2 textbook. | | | | |
| | Application to mechanics. Working with forces, | | | | |
| | vectors, equations of motion. | | | | |
| | P2-Ch10-Numerical Methods-Lesson 1 | | | M2-Ch7-Application of Forces-Lesson 1 | CN 42 E - 74 |
| | (1) Sketching known graphs to identify now many | PM2 EX 10A | | (1) Static Particles. Students should understand that they | SIVIZ EX /A |
| | solutions exist, and an approximate value for the | | | could use a closed triangle to solve problems involving 3 | |
| | root. | | | forces, and should also be able to resolve forces | |
| | Finding roots in an interval using the sign change | | | norizontally and vertically, if necessary, to solve problems | |
| | method. Students should understand the limitations | | | (include modelling questions). | |
| | of this method (refer to graphs) | DM2 5: 10D | | (2) Madalling static weeklages in tables in singly adjust a suith | SIVIZ EX /B |
| | (2) Iteration mathed Students to have an | PIVIZ EX TOB | | (2) Modelling static problems involving inclined planes with | |
| | (2) Iteration method. Students to have an | | | or without inclion. Consider problems which involve | |
| | may be expected to have a knowledge of how the | | | chiests to remain static | |
| | nay be expected to have a knowledge of now the | | | | |
| 26 | diagrams) | | 22 | | |
| | P2-Ch10-Numerical Methods-Lesson 2 | ~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~ | 52 | M2-Ch7-Application of Forces-Lesson 2 | |
| | (1) Newton Raphson Method. Students should | PM2 Fx 10C | | (1) Dynamics problems and inclined planes | SM2 Fx 7C |
| | understand the limitations of this method (refer to | | | (-, -, | |
| | graphs) | | | (2) Vector methods with projectiles | SM2 Ex 7E |
| | ö i <i>i</i> | PM2 Ex 10D | | | |
| 27 | (2) Applications in modelling | 3 | 33 | | |
| | | | | M2-Ch7-Application of Forces-Lesson 3 | |
| | | | | (1) Connected Particles and Inclined Planes | SM2 Ex 7F |
| | | | 34 | | |
| | | | | M2-Ch4-Moments (Part 2)-Lesson 1 | |
| | | | | (1) Calculating the moment of a force on a rigid body (forces | Old M2 Pearson Ex |
| | | | | non parallel) | 5A |
| | | | | | |
| | | | | (2) Ladder Problems | |
| | | | | | Collins Year 2 Book |
| | | | 35 | | Ex 17.3A |
| | | | | M2-Ch4-Moments (Part 2)-Lesson 2 | |
| | | | | (1) Non Parallel forces on other bodies, such as a rod freely | Collins Year 2 Book |
| | | | | hinged to a surface and a beam resting on a smooth peg. | Ex 17.3B |
| | | | | (2) Eurther Mixed Practice, Students are likely to find this a | |
| | | | | (2) Further Mixeu Fractice. Students are likely to find this a challenge and questions can pasily take 10.15 mins co. | |
| | | | | give them the time they need in this lesson to | SIVIZ EX 7D |
| | | | 26 | give them the time they need in this lesson to | |
| | | 3 | 50 | consolidate. | |

| D2 Ch08 11 Differential Fountient Lesson 1 | | | | | |
|--|--|--|--|--|--|
| (1) Connected rates of change. Students must be able to solve problems connecting two or three rates of change. Forming differential equations from information given in a question (involving proportionality) | PM2 Ex 9J | | | | |
| (2) Finding general solutions to differential equations by separating variables. Show a family of solutions graphically. 37 | Pm2 Ex 11J Q1 & Q5 | | | | |
| P2-Ch9&11-Differential Equations-Lesson 2 | | | | | |
| (1) Finding particular solutions to differential equations when given the necessary boundary conditions. Include problems involving partial fractions. | PM2 Ex11J | | | | |
| (2) Modelling with differential equations | PM2 Ex 11K | | | | |
| (3) Examination practise. This is a very important phase and allows students to test their understanding of a variety of topics such as connected rates of change, integration techniques, partial fractions, exponentials and logarithms, etc. It forms a good basis for the start of the revision phase, so please allow time for this if it is helpful for your students. | PM2 Mixed Ex 11 Q12-15, Q17,19, 21, 22, 24, 26, 27 | | | | |
| 38 REVISION | | | | | |
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| Wednesday 4 th June 2025 (PM) Paper 1: Pure Mathematics (2 hours) | | | | | |
| Thursday 12 th June 2025 (PM) Paper 2: Pure Mathematics (2 hours) | | | | | |
| Thursday 19 th June (PM) Paper 3: Statistics & Mechanics (2 hours) | | | | | |